existing literature, focused on ALG [1, 2] (Fig. bottom left)

Modal indefinites: total or partial variation. Partial = neg. specificity. Partial SG \rightarrow ordinary PL. How do we derive partial variation in the SG? How do we prevent partial variation in the PL?

the puzzle

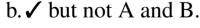
- (for ALG, IRGEND, see [1, 2]; for SOME, see [3, 4])
- (1) Jo vive con **algún** estudiante, Jo lives with ALG-SG student-SG
 - a. # en concreto, con A. with A namely
 - b. \checkmark pero no con A. but not with A
- (1') Jo vive con algunos estudiantes, Jo lives with ALG-PL student-PL
 - a. \checkmark en concreto, con A y B. with A and B namely
 - b. \checkmark pero no con A y B. but not with A and B
- (2) Jo wohnt mit irgendeiner Studentin, Jo lives with IRGEND-SG student-SG
 - a. # und zwar mit A. namely with A
 - b. \checkmark aber nicht A. but not A
- (2') Jo wohnt mit **irgendwelchen** Studenten, Jo lives with IRGEND-PL student-PL

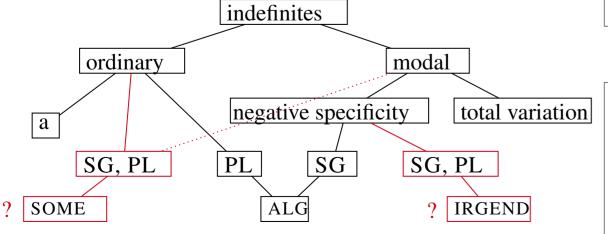
a. # und zwar mit A und B. namely with A and B

- b. \checkmark aber nicht A und B. but not A and B
- (3) Jo lives with some student,

a.? namely A.

- b. \checkmark but not A.
- (3') Jo lives with some students,
 - a. \checkmark namely A and B.





this work, in light of IRGEND and SOME (Fig. top right)

How do we derive partial variation in the SG and the PL? Why is one type of partial variation dispreferred / banned in the SG?

Singular. Plural. Modal.

Teodora Mihoc | Harvard U | tmihoc@fas.harvard.edu | @ LSRL51 | UIUC | Apr 29-May 1, 2021

scenarios of interest

 scenarios of interest					
total variation	partial variation		no variation		
'no winner'	neg. specificity	pos. specificity	pos. specificity	'all winners'	
	'one loser'	'one winner'-1	'one winner'-2		
e.g.,	e.g.,	e.g.,	e.g.,	e.g.,	
<i>w</i> ₁: x y z	w_1 : $\mathbf{x} \mathbf{y} \mathbf{z}$	w_1 : x y z	w1: x y z	w_1 : x y z	
<i>w</i> ₂: ҡ у <i></i>	<i>w</i> ₂: x y z	<i>w</i> ₂: x y z	w₂: x y z	w_2 : x y z	
 <i>w</i> ₃: ҡ у z	<i>w</i> ₃ : x y z	w_3 : x y z	<i>w</i> ₃ : x y <i>z</i>	w_3 : x y z	

How do we derive negative and positive specificity in the SG and the PL?

[1, 2, 7]: Modal variation \leftarrow competition with subdomain alternatives (DA). I agree.

[1, 2]: Negative specificity 'one loser' \leftarrow SgDA. I qualify: *Exh*SgDA [5]. I add:

This can be easily verified in the SG:

(4) $\mathbf{O}_{ExhSgDA} \square_{\mathbb{S}} (a \lor b \lor c)$	(5) O_{ExhNc}
$= \Box_{S} \ (a \lor b \lor c) \land$	$= \Box_{\mathrm{S}}$ (
$(\Box_{\mathrm{S}} a \to \Box_{\mathrm{S}} b \lor \Box_{\mathrm{S}} c) \land$	$(\Box_{\mathrm{S}} (a$
$(\Box_{\mathrm{S}} b \to \Box_{\mathrm{S}} a \lor \Box_{\mathrm{S}} c) \land$	$(\Box_{\mathrm{S}} (a$
$(\Box_{\mathrm{S}} \ c \to \Box_{\mathrm{S}} \ a \lor \Box_{\mathrm{S}} \ b)$	$(\Box_{\mathrm{S}}\ (b$
compatible with 'one loser'	compa

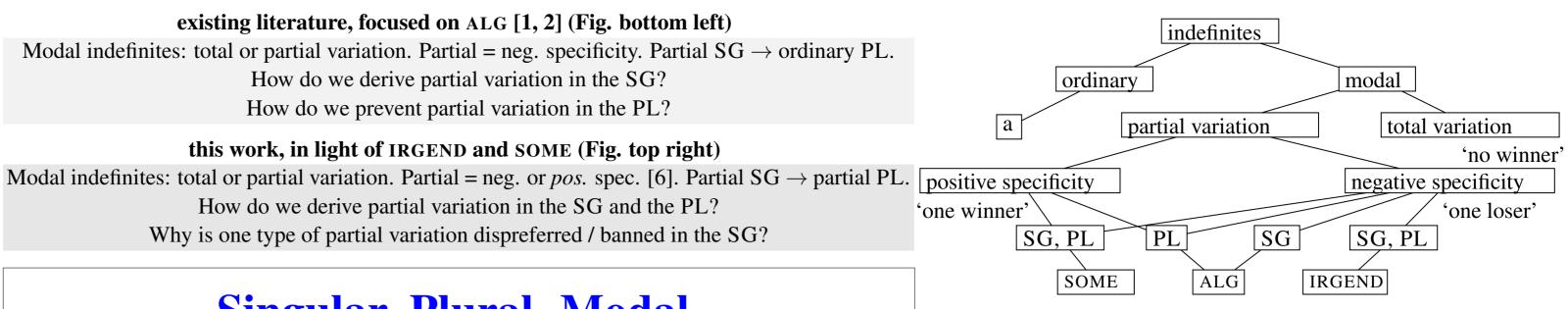
Computations with PL quickly explode, but preliminary checks suggest this might be true of PL also.

Crucially, one must use the DA in pre-exhaustified form, ExhDA[5], and pre-exhaustify with Innocent Exclusion [5, 8] and relative to DA of the same size (or smaller) [6], as done above, where for the PL this might mean matching DA not just by domain size but also by plurality size.

Why is positive specificity dispreferred / banned in the SG?

[2]: Partial SG: 'ordinary' PL \leftarrow [indef]-PL \rightarrow existential witness be plural. I disagree. I propose: [indef]-SG \rightarrow existential witness be unique.

 \rightarrow In a SG modal indefinite, pos. specificity can be just 'one winner'-2, a no variation meaning. Explains why positive specificity is dispreferred / banned in the SG. Predicts that [indef] that allow positive specificity in the SG might have another way of preserving variation \rightarrow speaker *indifference*, present in SOME[3] but not in ALG [9].



conclusion

- [1, 2] showed that modal indefinites are not just total variation but also partial variation, and the latter can also differ within item, by number, with the PL becoming seemingly 'ordinary'.
- Further data revealed that difference by number is also difference within number, by item, and 'ordinary' patterns might actually be modal.
- I have extended [1]'s solution to capture the difference within-number in the SG; suggested the same extends to the PL; and showed that, given this, the within-item differentiation between the SG and the PL can be explained functionally as a way to preserve variation.

open issues

- Solution for the variation in PL is incomplete.
- Solution for the variation by number is *ad hoc*.
- Still, for both, good reasons to look deeper.

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Positive specificity 'one winner-1&2' $\leftarrow ExhNonSgDA$ [6]

 $\mathsf{NonSgDA} \square_{\mathsf{S}} (a \lor b \lor c)$ $(a \lor b \lor c) \land$ $(a \lor b) \to \Box_{\mathrm{S}} (a \lor c) \lor \Box_{\mathrm{S}} (b \lor c)) \land$ $(a \lor c) \to \Box_{\mathrm{S}} (a \lor b) \lor \Box_{\mathrm{S}} (b \lor c)) \land$ $(b \lor c) \to \Box_{\mathrm{S}} (a \lor b) \lor \Box_{\mathrm{S}} (a \lor c))$ patible with 'one winner-1&2'

INDEF-SG NP-SG: $\exists ! x \in D_{AT} [...]$